

Multi-scale modelling of aneurysm formation - linking continuum mechanics and adaptation to signalling events

H. Schmid¹, M. Cooling², P.N. Watton³, P. Hunter² and M. Itskov¹

¹Department of Continuum Mechanics, RWTH Aachen University, Germany

²Auckland Bioengineering Institute, University of Auckland, New Zealand

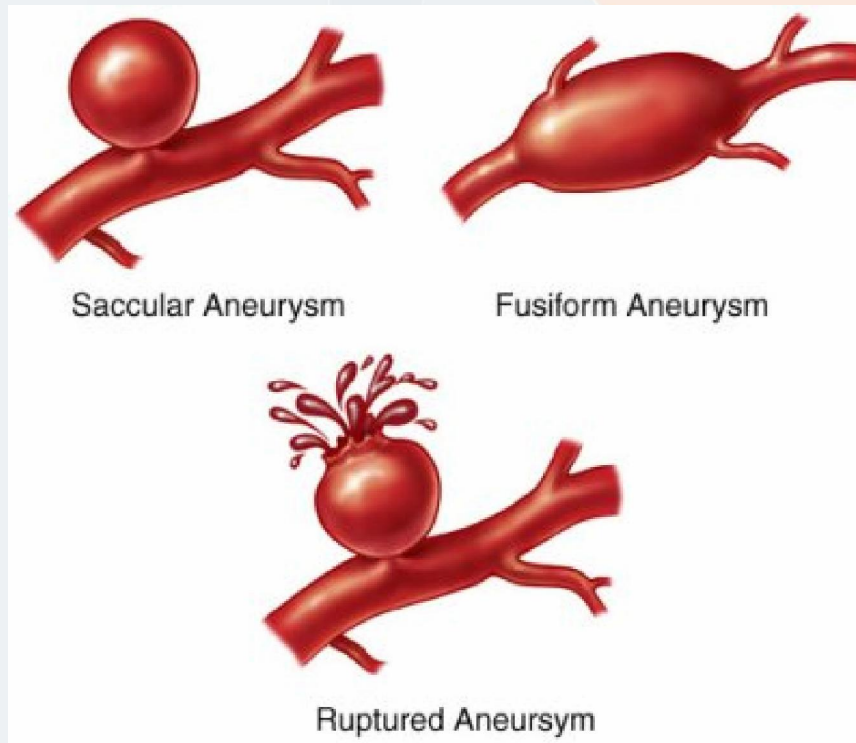
³Department of Computational Biology, University of Oxford, Oxford, United Kingdom

26th January, 2010, CellML meeting Auckland

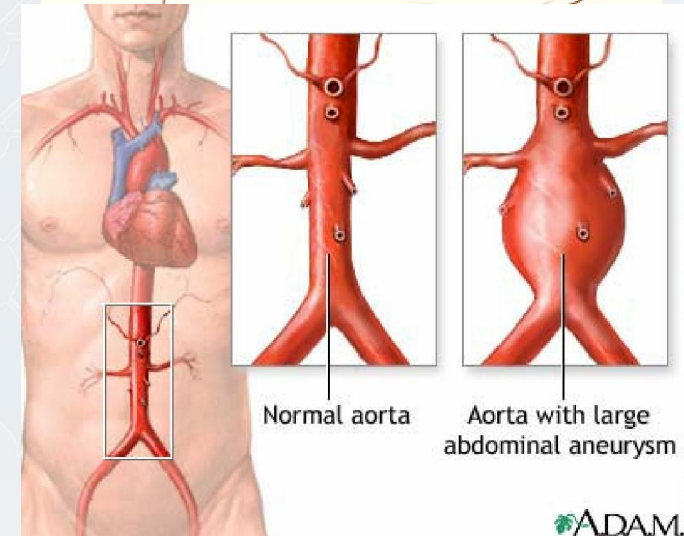
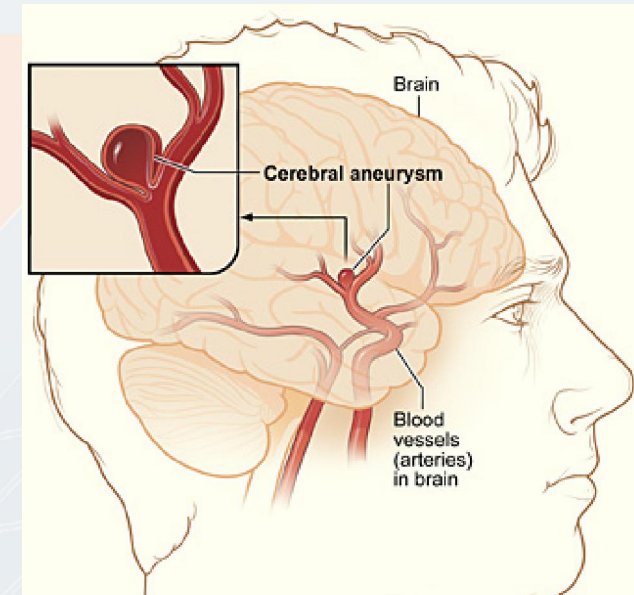
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Aneurysm, forms & location:

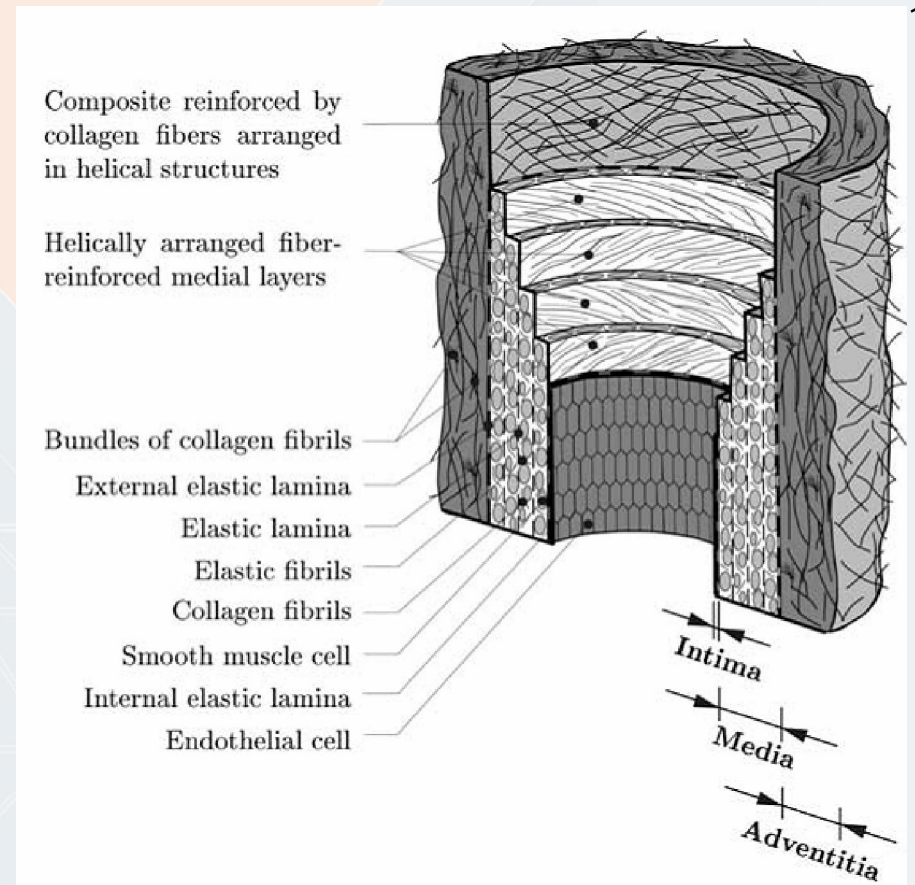


Aneurysm: potentially pathological dilatation of arterial wall

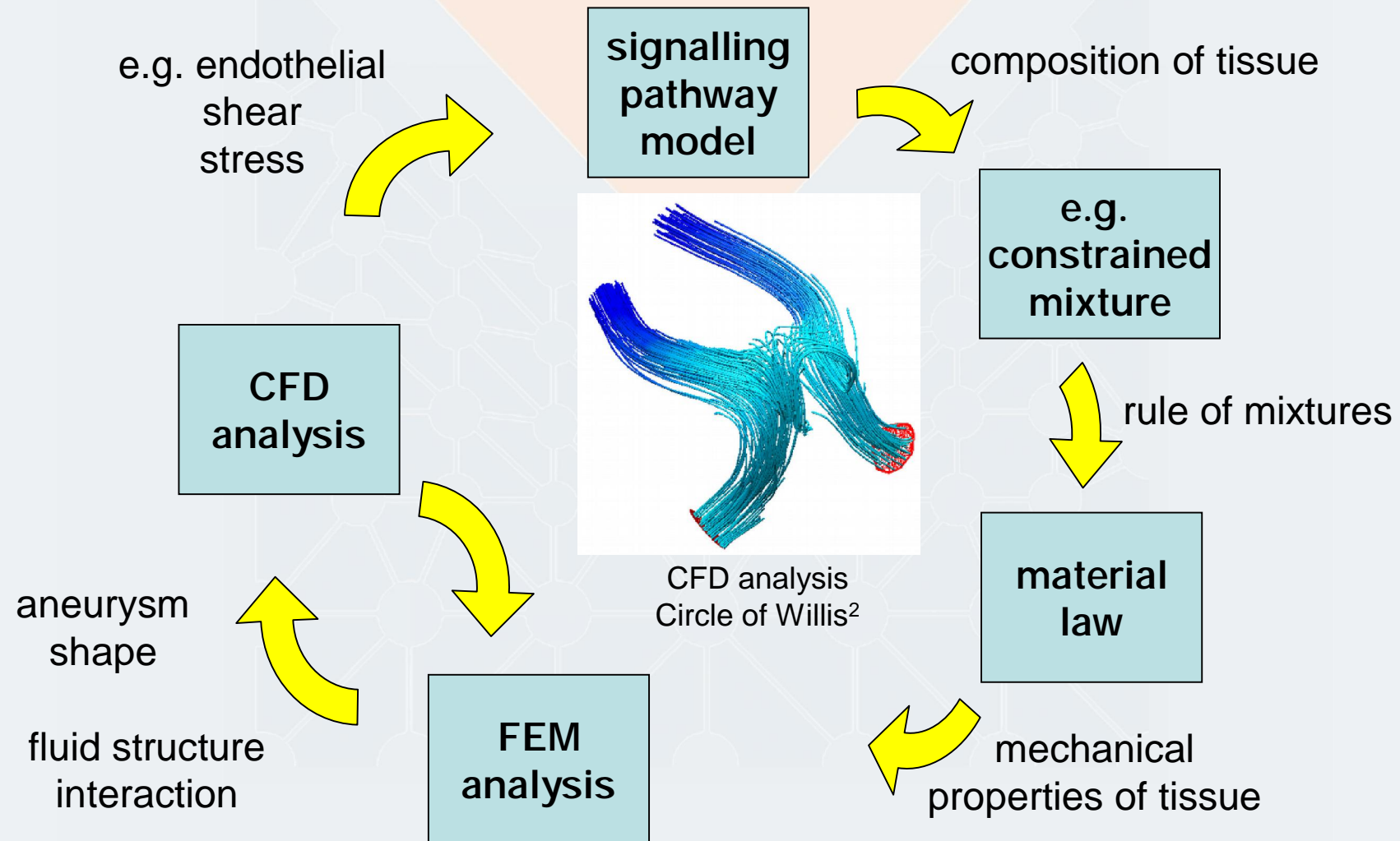


Arterial wall, structure:

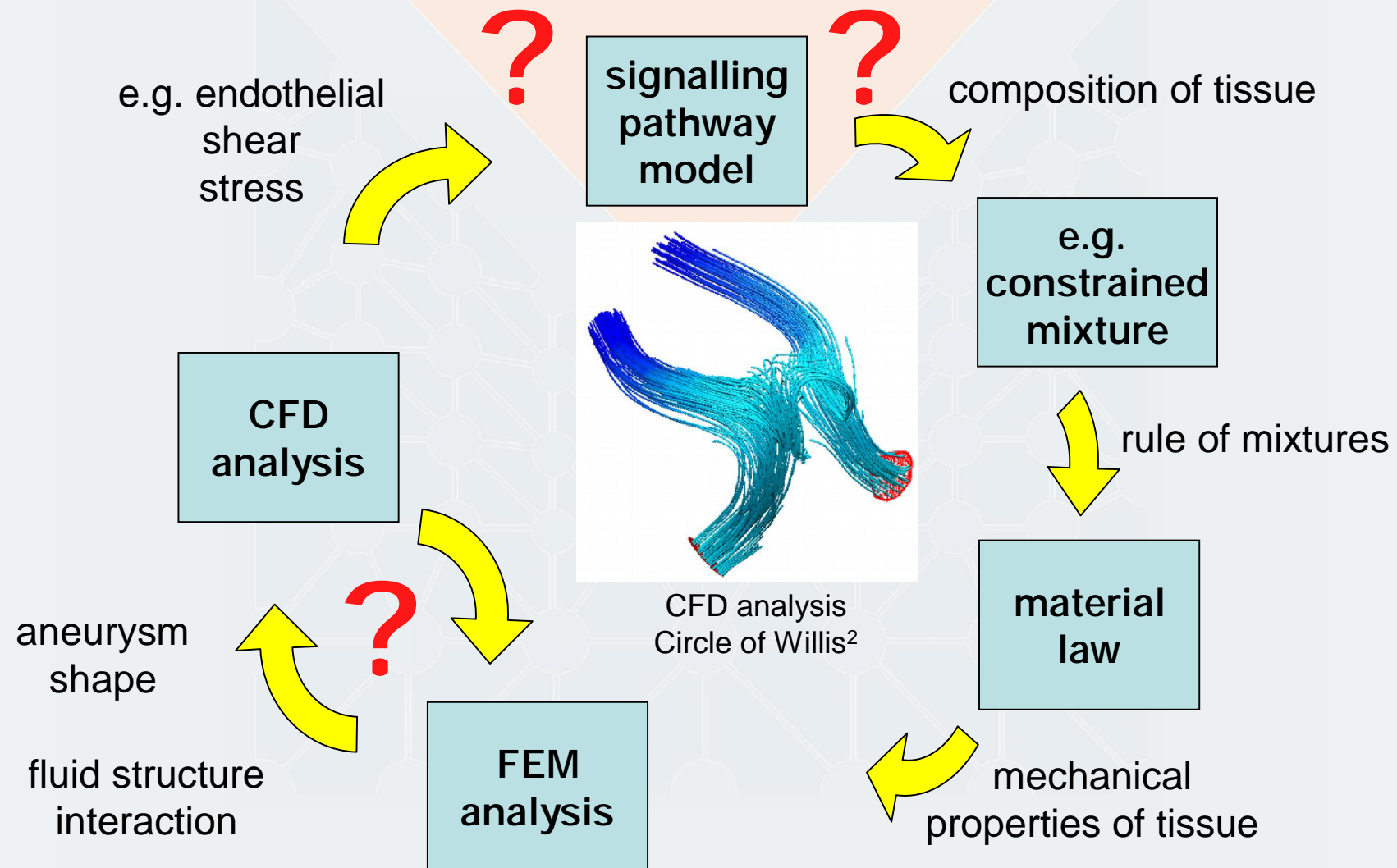
- ▶ Mechanical components:
 - ▶ smooth muscle cells
 - ▶ collagen
 - ▶ elastin
- ▶ Passive & active response



Remodelling framework¹:



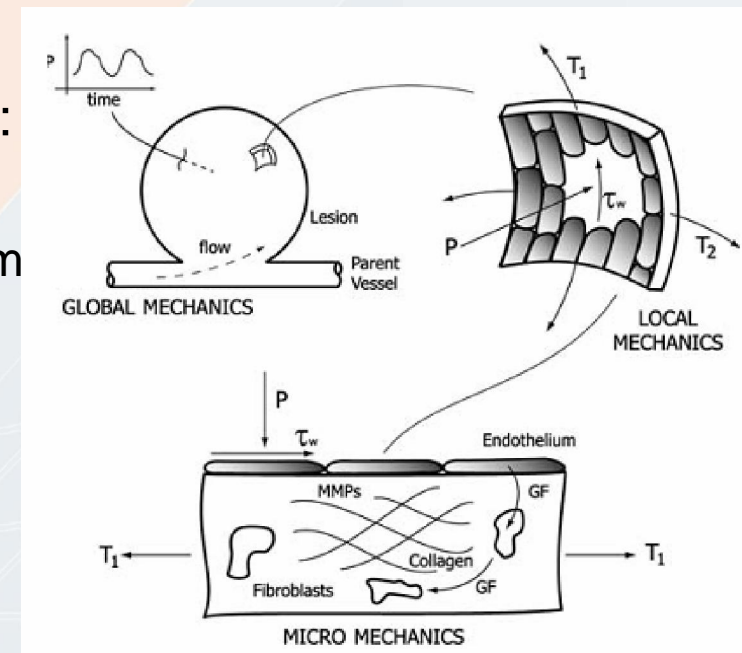
How to link micro- and macro-scale?



Remodelling:

- ▶ **Mechanical factors for altered signal transduction pathways due to change in:**
 - ▶ wall shear stress (WSS) from blood flow
 - ▶ pressure – biaxial stretch of **endothelium**
 - ▶ axial tension of artery

- ▶ **Possible mechanical responses to altered environment:**
 - ▶ active: vasoconstriction (sec ~ min)
 - ▶ passive: **remodelling**: change of reference configuration (days ~ months)
 - ▶ passive: **growth**: increase of constituents (days ~ months)

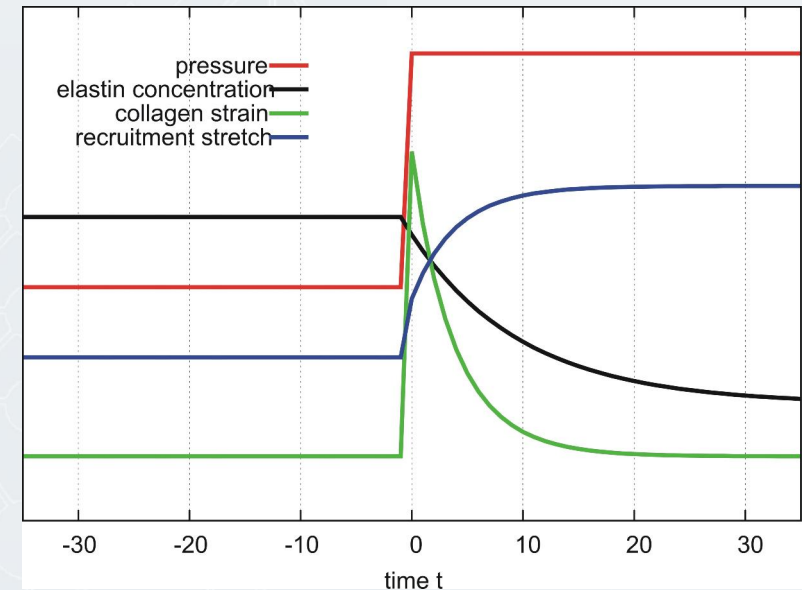


Current approach – just solid mechanics

$$f_e(t) = f_e(0) c_{\min}^{\frac{t}{T}}$$

$$\frac{\partial \lambda_{rec}}{\partial t} = \alpha (E_c - E_a)$$

$$\frac{\partial f_c}{\partial t} = \beta f_c (E_c - E_a)$$



Future ideas – first step, coupling to hemodynamics

$$f_e(t) = F_{fluid}(\tau, E_{endoth})$$

$$\frac{\partial \lambda}{\partial t} = \alpha(E_c - E_a)$$

$$\frac{\partial f_c}{\partial t} = \beta f_c(E_c - E_a)$$

Future ideas – second step, coupling to signalling

$$f_e(t) = F_{sign}^e(\tau, E_{endoth})$$

$$\frac{\partial \lambda}{\partial t} = F_{sign}^\lambda(\tau, E_{endoth})$$

$$\frac{\partial f_c}{\partial t} = F_{sign}^c(\tau, E_{endoth})$$

Challenges

- ▶ Vastly differing time scales (sec ~ years)
- ▶ Computational cost (CFD, FEM and signalling)
- ▶ How to implement it into CMISS?
 - ▶ Mechanical stress strain relationship is also implemented via CellML
 - ▶ Problem with storage between different solution procedures
- ▶ How can we use both: the mechanical and signalling models in one integrated model?

Thank you very much for your attention!

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